This article explores how earmarks shape the ideological composition of elected officials in Congress. Relative to the classic median voter theorem, the framework developed here introduces multiple legislative districts and incorporates a desire for local earmarks in the specification of voter preferences. The main theoretical result demonstrates that competition among politicians to “bring home the bacon” substantially reduces Congressional polarization. Data from after the earmark ban of 2011 provide supporting evidence for this mechanism. (JEL D72, E62, D78, H41)
Ironically, there are also polarized views on the consequences and desirability of polarization itself. While some lament a decline in legislative accomplishments, others praise the reduction in political horse trading and spending on “pet projects,” such as the controversial $400 million “Bridge to Nowhere” in Alaska that lawmakers eventually scuttled after the ensuing public uproar.\footnote{For better or worse, the earmark ban has undoubtedly removed one of the major sources of leverage Congressional leadership can use to enforce party discipline—as described in Grossman and Helpman (2005)—thus paving the way for ideology to play a greater role in the political process.}

Putting aside any normative concerns, this article analyzes the link between pork-barrel spending (equivalently, earmarks)—defined as appropriations secured for the express purpose of bringing money to a legislator’s local district—and Congressional polarization. Theoretically, I consider an environment with multiple districts where voters have a preference both for ideological compatibility with their elected legislator and for greater earmark spending in their district. Once elected, legislators who are closer to the ideological mean of Congress receive a greater share of pork-barrel funding, regardless of the overall distribution of voter ideologies. The median voter in each district—who is effectively in the position of kingmaker—balances ideology with the ability to “bring home the bacon” when selecting his or her preferred political candidate, taking as given what happens elsewhere. I characterize the equilibrium and show that earmarks significantly compress the ideological distribution of Congress relative to that of the population. Empirically, evidence from after the 2011 earmark ban supports these theoretical findings.

### Figure 1

**Evidence of Rising Voter Polarization Over the Past Two Decades**

![Figure 1](image)

Note: Ideological consistency based on a scale of 10 political values questions (see Appendix A in the source). The blue area in this chart represents the ideological distribution of Democrats and the red area of Republicans. The overlap of these two distributions is shaded purple. Republicans include Republican-leaning independents; Democrats include Democratic-leaning independents (see Appendix B in the source).

2 EMPIRICAL TRENDS

A recent Pew Research study by Dimock et al. (2014) documents the increasing polarization of the American electorate. As seen in Figure 1, the amount of overlap between Democratic and Republican voters has fallen dramatically since the mid-1990s. Back in 1994, 36 percent of Republicans were to the political left of the median Democrat, and 30 percent of Democrats were to the right of the median Republican. In 2004, those measures of ideological overlap fell to 8 percent and 6 percent, respectively. Furthermore, the data show that polarization has accelerated over the past decade.

This heightened polarization has also crossed over into legislatures. Figure 2 shows the time series for DW-NOMINATE, which is a commonly used index of polarization developed by Poole and Rosenthal (1984) based on Congressional voting records. At the federal level, the left panel shows that ideological polarization has increased in both the U.S. House and Senate, with a notable acceleration over the past 15 years. Based on the work of Azzimonti (2018), the Federal Reserve Bank of Philadelphia maintains a measure of U.S. political disagreement called the Partisan Conflict Index, which exhibits a notable rise starting in the late 2000s (middle panel). State legislatures have not been immune to these political winds either. Using data from the Vote Smart Political Courage Test (formerly the Project Vote Smart National Political Awareness Test), Shor and McCarty (2011) develop a state-level index of polarization. The right panel of Figure 2 plots the histogram of changes in this index across the states between 1993 and 2014; in the overwhelming majority of states, polarization has increased. Using a different methodology, Andris et al. (2015) show that partisan division has increased in the U.S. Congress while cross-party collaboration has fallen. Figure 3 gives a visual representation of these striking trends.

Figure 2
Partisan DW-NOMINATE Spread (Left); Federal Reserve Bank of Philadelphia Partisan Conflict Index (Middle); and Change in the Shor-McCarty State Polarization Index (Right)
As polarization has gone up, measures of federal legislative productivity have fallen, whether for better or worse. As documented in the left panel of Figure 4, the number of bills passed by the U.S. Senate has exhibited a downward trend since the 1970s, and McCarty (2016) shows that legislative delays for appropriations bills have risen substantially. McCarty (2016) also runs counterfactuals and predicts that, had polarization remained constant, the passage of Mayhew laws—a measure of landmark legislation—would have been considerably higher over the past 20 years. In each of these cases, the decline in legislative productivity appears to have accelerated in the late 2000s.

In fact, from the mid-1990s to the mid-2000s, legislative productivity actually temporarily stabilized. According to data from the organization Citizens Against Government Waste (CAGW) shown in Figure 4, spending on earmark projects escalated dramatically during
However, in response to voter backlash, Congress eventually instituted a one-year moratorium on earmarks in 2007 followed by a ban in 2011 that remains in effect today. The next section formalizes a model where competition over pet-project funding moderates the ideological distribution of elected officials relative to the voter population. However, if voter preferences change over time in a way that places more weight on ideology over elected officials’ ability to “bring home the bacon,” earmarks lose their salience and legislative polarization rises. In this sense, the outcry over earmarks and subsequent ban is a natural consequence of more ideological voting.

3 THE MODEL

Consider an environment with \( n \) legislative districts, \( \{1, 2, \ldots, n\} \), where the median voter in district \( i \) has ideology \( \mu_i \in [0,1] \) in a one-dimensional issue space. As in the classic median voter theorem, voters care about how closely the ideology of their elected official, \( x_i \), aligns with their own views. However, voters also value earmarks spent in their district, \( t_i \). I assume that \( t_i \) is the net transfer to district \( i \), which implies that \( t_i \) may be either positive or negative. Voter preferences over ideology and pork-barrel funds are given by

\[
U(x_i, t_i; \mu_i) = \beta t_i - (1 - \beta)(x_i - \mu_i)^2,
\]

where \( \beta \in [0,1] \) is the relative weight placed on earmarks.

3.1 Competition for Earmarks

After an election, earmarks are awarded disproportionately to elected officials who are closest to the unweighted ideological mean of the legislature, \( \bar{\mu} \), regardless of the allocation.
of voters to legislative districts. For example, in the U.S. federal government, the population of each state impacts its representation in the House but not in the Senate. In addition, I impose two other restrictions on earmarks. First, because earmarks are the net fiscal transfer to each district, they must sum to zero; that is, \( \sum_i t_i \{ x_j \}_{j=1}^n = 0 \). Second, I assume that identical districts are treated identically; that is, \( t_i(x_i, x_j; \bar{x}) = t_j(x_j, x_i; \bar{x}) \) whenever \( x_i = x_j \), where \( x_j \equiv \{ x_k \}_{k \neq i} \). To be concrete, I assume the following function:

\[
(2) \quad t_i(x; \bar{x}) = \frac{1}{n-1} \sum_{j \neq i} \left( x_j - \bar{x} \right)^2 - \left( x_i - \bar{x} \right)^2,
\]

where the coefficient \( \frac{1}{n-1} \) ensures that net transfers sum to zero.

Intuitively, this formula states that legislators who deviate substantially from the average position of their colleagues receive fewer pork-barrel funds, perhaps because they have less influence or do not “go along to get along.” To reiterate, this arrangement stands in contrast to one in which legislators are punished for straying from the mainstream of voters. Here, a conservative (liberal) Congress would not punish members simply for sitting ideologically to the right (left) of the population at large.

### 3.2 Election Outcomes

Given \( k_i \) candidates, the median voter in district \( i \) chooses his or her preferred candidate—who ends up being the winner—by solving

\[
(3) \quad \max_{x_i \in \{ x_i^1, x_i^2, \ldots, x_i^k \}} U(x_i, t_i(x_i, x_{-i}; \bar{x}); \mu_i).
\]

In words, the median voter chooses the candidate that offers the best combination of ideological compatibility and ability to attract earmarks, as determined by the transfer function \( t_i \). Note that, in general, the presence of a finite number of candidates makes this problem discrete and not amenable to solving with first-order conditions. However, if candidates are first able to choose their position and care only about winning, then in a subgame perfect equilibrium, the winner stakes his or her ideological claim exactly where the median voter’s first-order condition is satisfied.

### 4 RESULTS

This section solves for the electoral equilibrium and analyzes how earmarks affect the ideological composition of Congress. For generic \( U_i(x_i, t_i; \mu_i) \) and \( t_i(x; \bar{x}) \), the first-order condition of the median voter is

\[
(4) \quad 0 = \frac{\partial U}{\partial x_i} + \frac{\partial U}{\partial t_i} \left( \frac{\partial t_i}{\partial x_i} + \frac{1}{n} \frac{\partial t_i}{\partial \bar{x}} \right).
\]
The first term represents the direct marginal contribution of $x_i$ to utility, and the second term reflects the indirect effect of $x_i$ on utility as transfers respond to the shifting gap between $x_i$ and the legislator mean $\bar{x}$, which itself changes by a factor of $1/n$ to any movements in $x_i$.

For specific functions (1) and (2), the terms in (4) become

$$\frac{\partial U}{\partial x_i} = -2(1-\beta)(x_i - \mu_i)$$

$$\frac{\partial U}{\partial t_i} = \beta$$

$$\frac{\partial t_i}{\partial x_i} = -2(x_i - \bar{x})$$

$$\frac{\partial t_i}{\partial \bar{x}} = \frac{-2\sum_{j\neq i} x_j}{n-1} + 2x_i.$$

Substituting these terms into (4) gives the final first-order condition,

$$0 = -2(1-\beta)(x_i - \mu_i) + \beta \left\{ -2(x_i - \bar{x}) + \frac{1}{n} \left[ \frac{-2\sum_{j\neq i} x_j}{n-1} + 2x_i \right] \right\}.$$

A bit of algebra gives the ideological position of the winner in district $i$:

$$x_i = \frac{1-\beta}{1-\beta + \beta \left( \frac{n-2}{n} \right)} \mu_i + \frac{\beta \left( \frac{n-2}{n} \right)}{1-\beta + \beta \left( \frac{n-2}{n} \right)} \bar{x}_{-i},$$

where $\bar{x}_{-i}$ is the ideological average of the elected officials outside district $i$.

Note that $x_i = \mu_i$ if voters care only about ideology (i.e., $\beta = 0$), as one would expect. Similarly, if voters only value earmarks, then $x_i = \bar{x}_{-i}$. Therefore, pork-barrel spending causes the elected official from district $i$ to have an ideology in between that of the median voter in district $i$ and the average of the other legislators. Before discussing the Nash equilibrium in Section 4.2, the analysis can be simplified by examining the limiting case with infinitely many legislative districts.

### 4.1 Limit Analysis

As $n \to \infty$, the median voter’s choice of winning candidate simplifies to

$$x_i = (1-\beta)\mu_i + \beta \bar{x},$$

where $\bar{x}_{-i} = \bar{x}$ in the limit.

From this equation, the legislator mean $\bar{x}$ must satisfy

$$\bar{x} = (1-\beta)\bar{\mu} + \beta \bar{x},$$
which readily implies that $\bar{x} = \bar{\mu}$. Therefore, legislator ideology in district $i$ is

$$x_i = (1 - \beta)\mu_i + \beta\bar{\mu}. \tag{7}$$

In words, the ideology of district $i$'s elected official is a weighted average of the median voter in district $i$ and the average of median voters across all of the districts. Thus, while pork-barrel spending has no impact on average legislator ideology, Theorem 1 shows that it reduces ideological variance relative to the population.

**Theorem 1. (Earmarks Reduce Partisanship)** A preference for pork-barrel spending—that is, $\beta > 0$—reduces ideological variance in Congress:

$$\frac{\text{var}(x)}{\text{var}(\mu)} = (1 - \beta)^2 < 1. \tag{8}$$

**Proof.** The result follows directly from equation (7). $\blacksquare$

Intuitively, the stronger a preference voters have for earmarks, the more they have to ensure that their elected representative is aligned with the ideology of all the other representatives. With this motive acting symmetrically in every district, the result is a mean-preserving compression of the ideological distribution in the legislature.

### 4.2 The Finite Case

With a finite number of legislative districts, the election outcome is determined by the static Nash equilibrium of the game where each of the $n$ median voters selects his or her preferred candidate according to equation (4), taking as given what occurs in all other districts. Mathematically, the vector of legislator ideologies $x$ solves the following system of equations:

$$\begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_n \end{bmatrix} = (1 - \alpha(n)) \begin{bmatrix} \mu_1 \\ \mu_2 \\ \vdots \\ \mu_n \end{bmatrix} + \alpha(n) \begin{bmatrix} \frac{1}{n-1} \sum_{j=1} x_j \\ \frac{1}{n-1} \sum_{j=2} x_j \\ \vdots \\ \frac{1}{n-1} \sum_{j=n} x_j \end{bmatrix}, \tag{9}$$

where $1 - \alpha(n)$ is the coefficient on $\mu_i$ in equation (5). Theorem 2 explicitly solves for the equilibrium given arbitrary $n$.

**Theorem 2. (Electoral Equilibrium)** The equilibrium vector of legislator ideologies is given by

$$x = (1 - \theta)\mu + \frac{\theta}{n-1}(P-1)\mu, \tag{10}$$
where $\theta = \frac{(n-1)\alpha(n)}{n-1+\alpha(n)} = \frac{\beta(n-2)(n-1)}{n(n-1-\beta)}$, $P$ is an $n \times n$ matrix of ones, and $I$ is the $n \times n$ identity matrix.

**Proof.** The expression (9) can be written in matrix form as

$$x = (1-\alpha(n))\mu + \left(\frac{\alpha(n)}{n-1}\right)(P-I)x.$$

Collecting all the $x$ terms gives

$$\begin{bmatrix} -\alpha(n) \\ n-1 \end{bmatrix} P + \left(1+\frac{\alpha(n)}{n-1}\right) I x = (1-\alpha(n))\mu,$$

which after some algebra is equivalent to

$$\begin{bmatrix} bP + (a-b)I \end{bmatrix} x = (n-1)(1-\alpha(n))\mu,$$

where $b = -\alpha(n)$ and $a = n-1$.

Inverting the matrix on the left gives the equilibrium legislator ideologies,

$$x = \begin{bmatrix} bP + (a-b)I \end{bmatrix}^{-1} (n-1)(1-\alpha(n))\mu,$$

where it can be shown that

$$\begin{bmatrix} bP + (a-b)I \end{bmatrix}^{-1} = \frac{-b}{(a-b)(nb+a-b)} P + \frac{1}{a-b} I.$$

Substituting this expression into the previous equation gives

$$x = \begin{bmatrix} \frac{\alpha(n)}{n-1+\alpha(n)} P + \frac{(n-1)(1-\alpha(n))}{n-1+\alpha(n)} I \end{bmatrix} \mu.$$

Lastly, defining $\theta = \frac{(n-1)\alpha(n)}{n-1+\alpha(n)}$ and doing some algebra completes the proof.

The scalar representation of equation (10) makes it clear that the ideology of each legislator is the convex combination of the ideology of the median voter in his or her district and the average of the ideologies of the median voters everywhere else:

$$x_i = (1-\theta)\mu_i + \theta\bar{\mu}.$$

### 4.3 A Numerical Example

To provide further intuition, I simulate some numerical examples with $n = 435$ legislative districts, just as in the U.S. House of Representatives. Figure 5 shows different scenarios for the equilibrium ideological distribution of Congress compared with that of voters. In the top
row, I randomly draw voter ideologies from a truncated normal distribution and compute the electoral equilibrium. In the top-left panel, I consider the case where voters place a relatively low weight on earmarks, $\beta = 0.33$. Even in this scenario, the presence of earmarks compresses the ideological distribution of Congress. In the top-right panel, I increase the weight to $\beta = 0.67$, which markedly squeezes the Congressional ideological distribution still further. In the bottom panels, I repeat the exercise for a bimodal voter distribution and similar lessons emerge.

5 CONCLUSIONS

By creating competition for local funds between legislators in different districts, the process for earmarking partially replaces the role of ideology in policymaking with a “bring home
the bacon” motive, thereby reducing polarization in Congress, whether for better or worse. However, there are several issues I abstract from in this analysis—particularly regarding the details of political institutions—that preclude making any immediate policy recommendations. For example, the presence of two dominant parties possessing well-established institutional power may produce different outcomes than would a parliamentary system in which numerous small parties continuously jockey for control. I leave this issue and others for future work.

NOTES

1 For example, see Boxell, Gentzkow, and Shapiro (2017); Gentzkow, Shapiro, and Taddy (2017); Autor et al. (2017); and Martin and Yurukoglu (2017).

2 President Trump has stated the following (DeBonis, 2018): “And I hear so much about earmarks, the old earmark system, how there was a great friendliness when you had earmarks...In the old days of earmarks...they went out to dinner at night, and they all got along, and they passed bills. That was an earmark system. And maybe we should think about it.”

3 A deeper analysis is required to determine whether this correlation represents causation.

4 For more information on the “Bridge to Nowhere” debate, see https://www.washingtontimes.com/news/2015/nov/8/alaska-kills-bridge-to-nowhere-that-helped-put-end/.


6 CAGW deems a piece of legislation pork-barrel spending if it meets at least two of the following seven criteria: (i) requested by only one chamber of Congress; (ii) not specifically authorized; (iii) not competitively awarded; (iv) not requested by the president; (v) greatly exceeds the president’s budget request or the previous year’s funding; (vi) not the subject of Congressional hearings; and (vii) serves only a local or special interest.

7 This assumption is consistent with a wide body of theoretical and empirical work summarized in Alexander, Berry, and Howell (2016).

8 An equivalent formulation of the earmark function is $t_i(x; \bar{\sigma}) = \frac{1}{n-1} \left[ \frac{\text{var}(x) - \sum_{i=1}^{n} (x(i) - \bar{\sigma})^2}{n-1} \right]$. None of the results change if transfers sum to a constant other than zero. It is also possible that earmarks could create positive aggregate spillovers, for example, by financing productive investment, but it is unclear to what extent voters internalize them when voting and, thus, how much the results might change.

REFERENCES


